

CS711 Advanced Programming Languages

Pointer Analysis

Overview and Flow-Sensitive Analysis

Radu Rugina

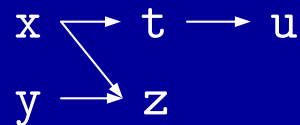
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Pointer Analysis

- Informally: determine where pointers (or references) in the program may point to.
- Significant amount of research in past 15 years
 - ... still going
- It is a fundamental problem in program analysis
 - Required by virtually all other analyses, optimizations, program understanding tools, bug-finding tools, etc.
 - Worst-case assumptions are too conservative
 - Especially for type-unsafe languages (e.g., C)

Points-To vs. Alias Analysis

- Points-to analysis: Compute the set of memory locations that each pointer may point to.
 - Hence, a may analysis
 - E.g., $pt(x) = \{z, t\}$, $pt(t) = \{u\}$, $pt(y) = \{z\}$
 - Essentially, a points-to graph

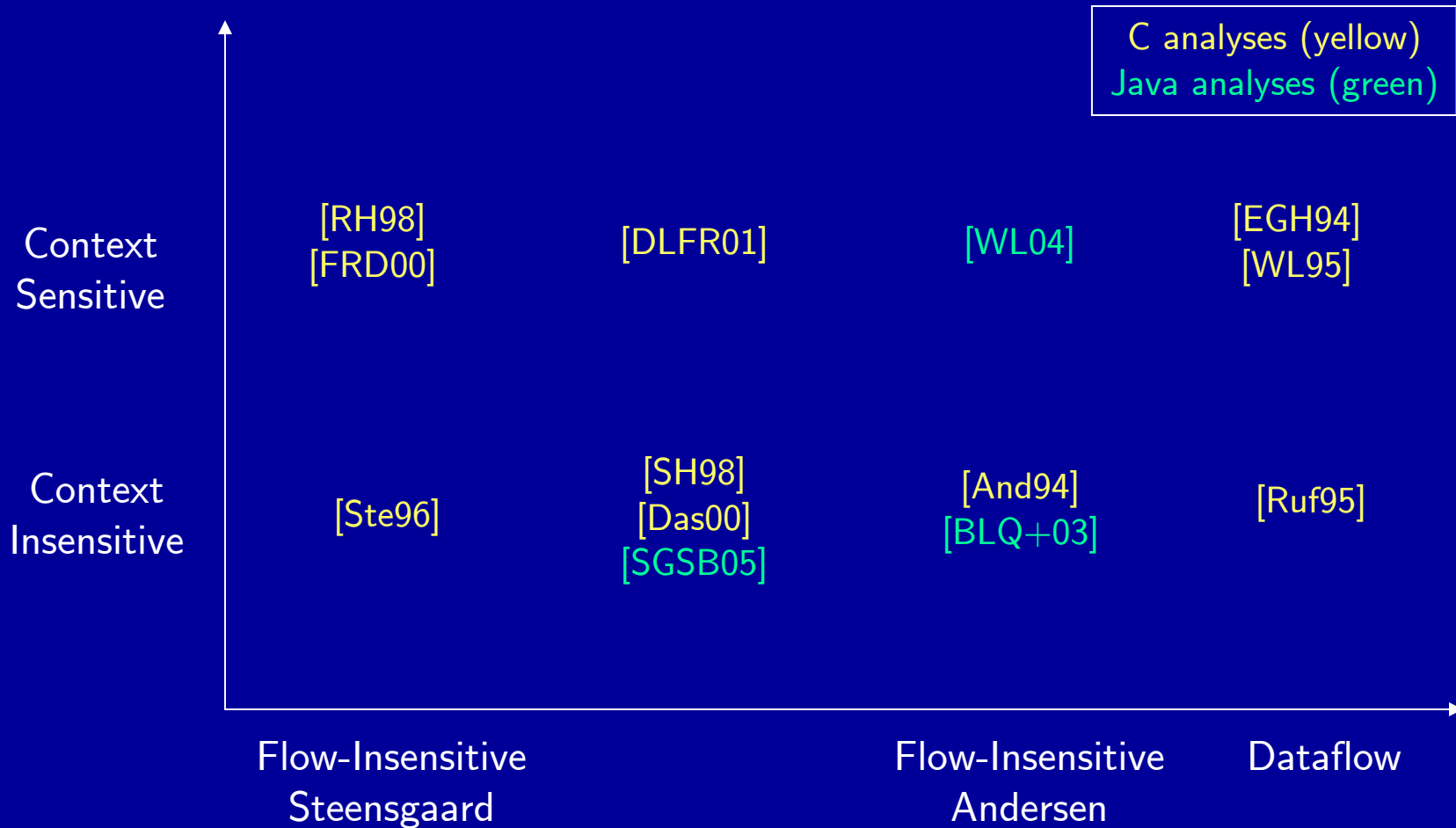


- (Pointer) alias analysis computes alias pairs
 - E.g. $(*x, z)$, $(*x, t)$, $(*t, u)$, $(**x, u)$, $(*y, z)$
 - Points-to graphs = a compact representation of alias pairs
 - Used in older analyses, e.g., [LR92]

Classifying Points-To Analyses

- **Flow-sensitivity**
 - Flow analyses
 - compute a points-to graph at each program point
 - Flow-insensitive analyses
 - Assignments can execute in any order, any number of times
 - Obviously models program execution
 - A points-to graph for the entire program
 - Two main kinds:
 - Steensgaard, a.k.a. unification-based
 - Andersen, a.k.a. inclusion-based
- **Context-sensitivity**
 - Distinguish the behavior of a function based on its calling context

Classifying Points-To Analyses



Points-To Analysis

- “compute set of locations where each pointer may point to”
- Ambiguities:
 - What are locations?
 - What about heap-allocated pointers?
 - What about aggregate structures: records, arrays, etc?
 - What about different instances of the same variable?
- We’re missing a notion of memory abstraction

Memory Model

- An abstraction of the memory
 - Map concrete locations to “abstract locations/nodes”
 - One abstract node may represent one or more concrete memory locations
 - Approximate unbounded concrete program state using a finite abstraction
 - Analysis clients need to know about this abstraction
 - Difficult to compare (results for) different abstractions

Heap Abstraction

- **Heap abstraction**

- Typically: one abstract node for each allocation site
- Think: “one global variable per malloc”

12: `x = malloc(...)`



- **Alternatives:**

- Less precise: one node for the entire heap
- More precise: different nodes for locations allocated in different calling contexts
 - Aka “context-sensitive heap abstraction”
 - Think malloc wrappers

- **Model is imprecise for recursive structures**

- Shape analysis is significantly more precise here

Records and Structures

- Option A: Model each field of each struct variable

- A.k.a. “field-sensitive”. Think “x.f”

struct { int a, b; } x, y; →

x.a	x.b
y.a	y.b

- Option B: Merge all fields of each struct variable

- A.k.a. “field-independent”, “field-insensitive”. Think “x.*”

struct { int a, b; } x, y; →

x.*	y.*
-----	-----

- Option C: Model each field of all struct variables

- A.k.a. “field-based”. Think “*.f”

struct { int a, b; } x, y; →

*.a	*.b
-----	-----

Unions

- Unions are type-unsafe
 - Sound approach: merge all fields
 - As in “field-independent” (B)

```
union { int a; char b; } x;
```



```
x.*
```

- Unsound approach: assume fields don't interfere
 - As in “field-sensitive” (A)

```
union { int a; char b; } x;
```



```
x.a
```

```
x.b
```

Arrays

- Merge all array elements together

```
int a[10];
```



```
a[*]
```

- Or use a separate abstraction for the first element

```
int a[10];
```



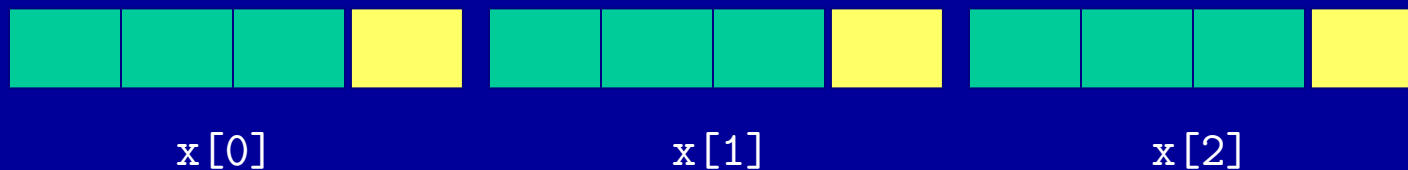
```
a[0]
```

```
a[1..10]
```

Nested Arrays and Structures

- Recurse through nested structure
 - Merge array elements
 - Separate all structure fields
 - even if structure is nested in an array

`struct { int a[3], b; } x[3];` → `x[*].a[*]` `x[*].b`



The Flow Analysis

- Program assignments:

address-of	copy	load	store
$x = \&y$	$x = y$	$x = *y$	$*x = y$

- Dataflow information = points-to graphs
 - Use $pt(x)$ = points-to set of x
- Merge operator = set union
- Transfer functions
 - $x = \&y$: $pt'(x) = \{y\}$
 - $x = y$: $pt'(x) = pt(y)$
 - $x = *y$: $pt'(x) = \bigcup pt(z)$, for all $z \in pt(y)$
 - $*x = y$: $pt'(z) \cup pt(y)$, for all $z \in pt(x)$

Strong vs. Weak Updates

- “strong updates” = update value
- “weak updates” = accumulate value
- Strong updates = more precise
- Weak updates if can't tell which concrete location is written
 - $*x = y$
 - $x[i] = y$
- Strong updates = key difference between flow-sensitive and flow-insensitive analyses

Inter-Procedural Analysis [EGH'94]

- Analyze callee for each function call
 - “map” the points-to information in the caller
 - Analyze callee with mapped information
 - “unmap” result and return to caller
- Mapping process:
 - Use “invisible variables” to model variables that are not in the current scope, but accessible through pointers
 - Store mapping information, use it during unmap

```
foo() { int a, *b = &a;  
        bar(&b); }  
bar(int** p) { ... }
```

Call site graph: $b \mapsto a$

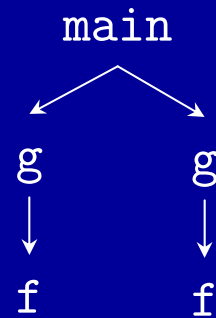
Mapped graph: $p \mapsto p_1 \mapsto p_2$

Mapping info: $(b, p_1) (a, p_2)$

Invocation Graph

- Use an “invocation graph” for context-sensitivity
 - Unroll call-graph, turn it into a tree

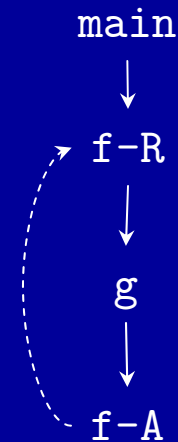
```
main() { g(); g(); }  
g()    { f(); }  
f()    { ... }
```



Invocation Graph

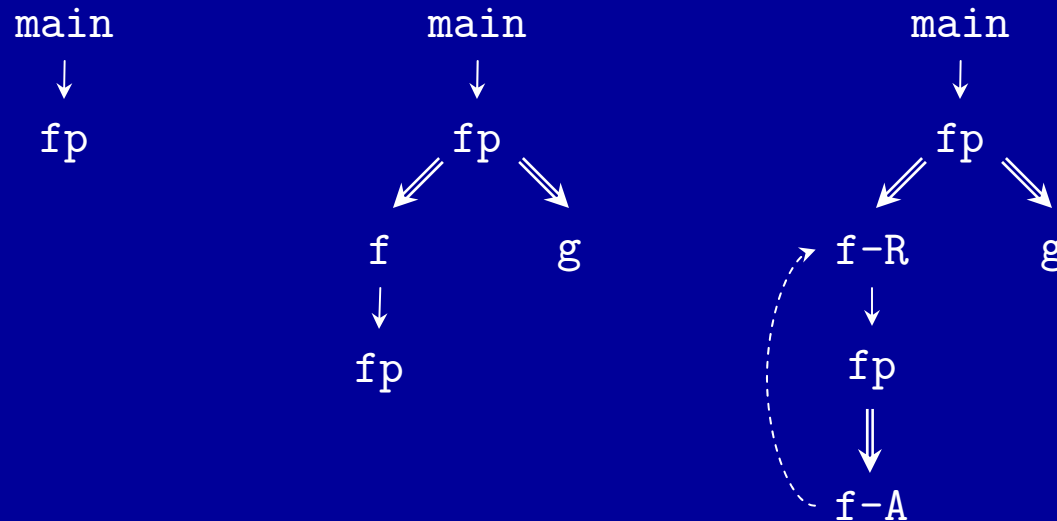
- Use an “invocation graph” for context-sensitivity
 - For recursion:
 - Use two nodes: “approximate” and “recursive”
 - Perform a fixed-point computation along the back edge
 - Use summaries for each node

```
main() { f(); }  
f()    { if (...) g(); }  
g()    { f(); }
```



Function Pointers

- **Indirect calls:** a “chicken-and-egg” problem
 - Need points-to information to resolve such calls
 - Need to resolve the calls to compute the points-to info
 - Solution: compute both at the same time
 - Once a call is resolved: analyze each callee, merge the results



Evaluating an Analysis

- What is the right metric?
 - An ongoing debate
 - Option 1: size of points-to sets
 - At loads and stores, at indirect calls
 - Difficult to compare analyses that use different abstractions
 - Option 2: evaluate effect on analysis clients
 - E.g, how many virtual calls are disambiguated? Or how many false data dependencies are being removed?
 - How much faster do programs run because of a better points-to analysis?
 - How is the false positive ratio improved in a bug-finding tool?

Experiments [EGH'94]

- Programs ranging from 0.1 K to 2.2 K LOC
- Small points-to set sizes at indirect accesses (avg. 1.13)
- Many indirect with one single target (28%)
 - But only 19% where the target is a program variable
- Invocation Graph statistics:
 - Average ratio IG size / call-sites = 1.45 (up to 2.5)
 - Ratio IG size / procedures larger (up to 21)
 - In theory, IG size is exponential

Memoization [WL'95]

- [Wilson,Lam,PLDI'95] “Efficient Context-Sensitive Pointer Analysis for C Programs”
 - Always use procedure summaries (not just for recursion)
 - Called “partial transfer functions” (PTFs)
 - Do not build an Invocation Graph
 - Build “invisible variables” lazily
 - Memory abstraction using triples (b, f, s) , with base b , offset f , and stride s
 - Ratio PTFs / procedures : between 1.00 and 1.39
 - Report a program with 37 procedures that generates an invocation graph with more than 700,000 nodes