Static Analysis of Executables to Detect Malicious Patterns

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Problem & Motivation...

- Malicious code is ... malicious
- Categorize: Propagation Method & Goal
 - OViruses, worms, trojan horses, spyware, etc.
- Detect Malicious Code
 - In executables

The Classical Stuff

- Focus mostly on Viruses
 - Code to replicate itself + Malicious payload
 - Inserted into executables
- Look for signatures
- Not always enough
- Obfuscation-Deobfuscation Game

Common Obfuscation Techniques

- Encryption
- Dead Code insertion*
- Code transposition*
- Instruction Substitution*
- Register reassignment*
- Code Integration
- Entry Point Obscuring

Common Deobfuscation Techniques

- Regular Expressions
- Heuristic Analyses
- Emulation

Mostly Syntactic...

The Game



- ➤ Vanilla Virus
- Register Renaming
- > Packing/Encryption
- Code Reordering
- ➤ Code Integration



- ➤ Signatures
- > Regex Signatures
- > Emulation/Heuristics
- >?
- >?

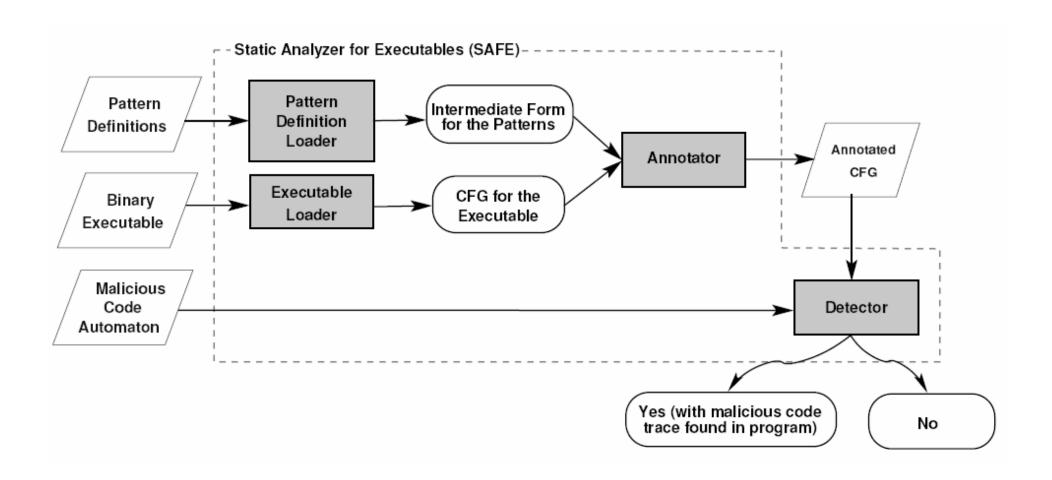
Current Technology

- Antivirus Software
 - Norton, McAfee, Command
- Brittle
 - Cannot detect simple obfuscations
 - Onop-insertion, code transposition
- Chernobyl, z0mbie-6.b, f0sf0r0, Hare

Theoretical Limits

- Virus Detection is undecidable
- Some Static Analyses are undecidable
- But, Obfuscation is also hard

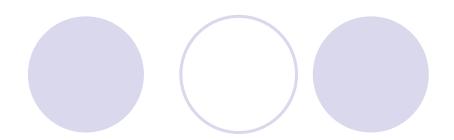
The SAFE* Methodology



Procedure

- Key Ideas:
 - Analyze program's semantic structure
 - Use existing static analyses (extensible)
 - Ouse uninterpreted symbols
- Abstract Representation of Malicious Code
- Abstract Representation of Executable
 - Deobfuscation
- Detect presence of malicious code

The Annotator



- Inputs:
 - OCFG of the executable
 - Library of Abstraction Patterns
- Outputs:
 - Annotated CFG

Some groundwork

- Instruction I : $\tau_1 \times ... \times \tau_k \rightarrow \tau$
- Program P : $\langle I_1, ..., I_N \rangle$
- Program counter/point
 - $\mathsf{opc}: \{ \ \mathsf{I}_1, \ ..., \ \mathsf{I}_N \ \} \to [1, ..., N]$
 - \bigcirc pc(I_i) = j, $\forall 1 \leq j \leq N$
- Basic Block, Control Flow Graph*
- Static Analysis Predicates
- Types for data and instructions

Example Predicates

Dominators(B)	the set of basic blocks that dominate the basic block B
PostDominators(B)	the set of basic blocks that are dominated by the basic block B
Pred(B)	the set of basic blocks that immediately precede B
Succ(B)	the set of basic blocks that immediately follow B
First(B)	the first instruction of the basic block B
Last(B)	the last instruction of the basic block B
Previous(I)	$\int \bigcup_{B' \in Pred(B_I)} Last(B') \text{if } I = First(B_I)$
Frevious(I)	$ \begin{cases} \bigcup_{B' \in Pred(B_I)} Last(B') & \text{if } I = First(B_I) \\ I' & \text{if } B_I = \langle \dots, I', I, \dots \rangle \end{cases} $
$N_{oxt}(I)$	$ \begin{cases} \bigcup_{B' \in Succ(B_I)} First(B') & \text{if } I = Last(B_I) \\ I' & \text{if } B_I = \langle \dots, I, I', \dots \rangle \end{cases} $
Next(I)	$ \int I' \qquad \text{if } B_I = \langle \dots, I, I', \dots \rangle $
Kills(p, a)	true if the instruction at program point p kills variable a
Uses(p,a)	true if the instruction at program point p uses variable a
Alias(p, x, y)	true if variable x is an alias for y at program point p
LiveRangeStart(p, a)	the set of program points that start the a 's live range that includes p
LiveRangeEnd(p, a)	the set of program points that end the a 's live range that includes p
Delta(p, m, n)	the difference between integer variables m and n at program point p
$Delta(m, p_1, p_2)$	the change in m 's value between program points p_1 and p_2
PointsTo(p, x, a)	$\it true$ if variable $\it x$ points to location of $\it a$ at program point $\it p$

Abstraction Patterns

Abstraction pattern Γ : (V,O,C)

$$\begin{aligned}
O V &= \{ x_1 : \tau_1, ..., x_k : \tau_k \} \\
O &= \langle I(v_1, ..., v_m) \mid I : \tau_1 \times ... \times \tau_m \to \tau \rangle
\end{aligned}$$

- OC = boolean expression involving static analysis predicates and logical operators
- Represents a deobfuscation
- Predicate controls pattern application
- Unify patterns with sequence of instructions

Example of a pattern

```
\Gamma(X:int(0:1:31)) = (\{X:int(0:1:31)\}, \{p_1: "pop X", p_2: "add X, osaFh" \}, p_1 \in LiveRangeStart(p_2, X))
```

Defeating Garbage Insertion

```
<instruction A>
<instruction A>
add ebx, 1
sub ebx, 1
nop
<instruction B>
```

instr 1

Pattern: instr N

Where

Delta(state pre 1, state post N) = 0

Defeating Code-reordering

Pattern:

jmp TARGET

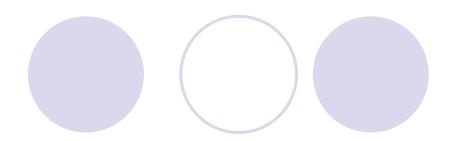
where

Count (CFGPredecessors(TARGET)) = 1

The Annotator

- Given set of patterns $\Sigma = \{ \Gamma_1, ..., \Gamma_m \}$
- Given a node n for program point p
- Matches each pattern in Σ with
 \(\lambda\)..., Previous²(I_p), Previous(I_p), I_p \(\rangle\)
- Associates all patterns that match with n
- Also stores the bindings from unification

The Detector

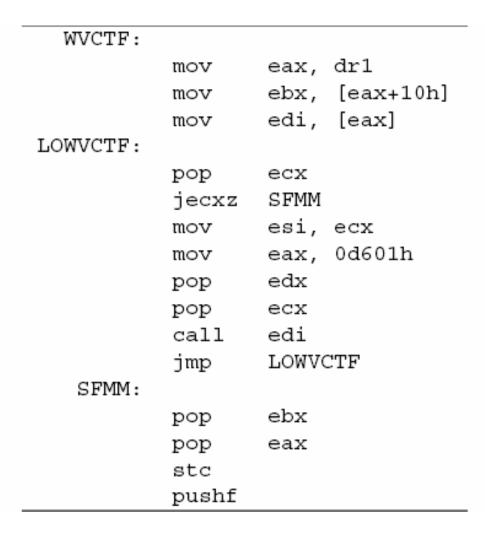


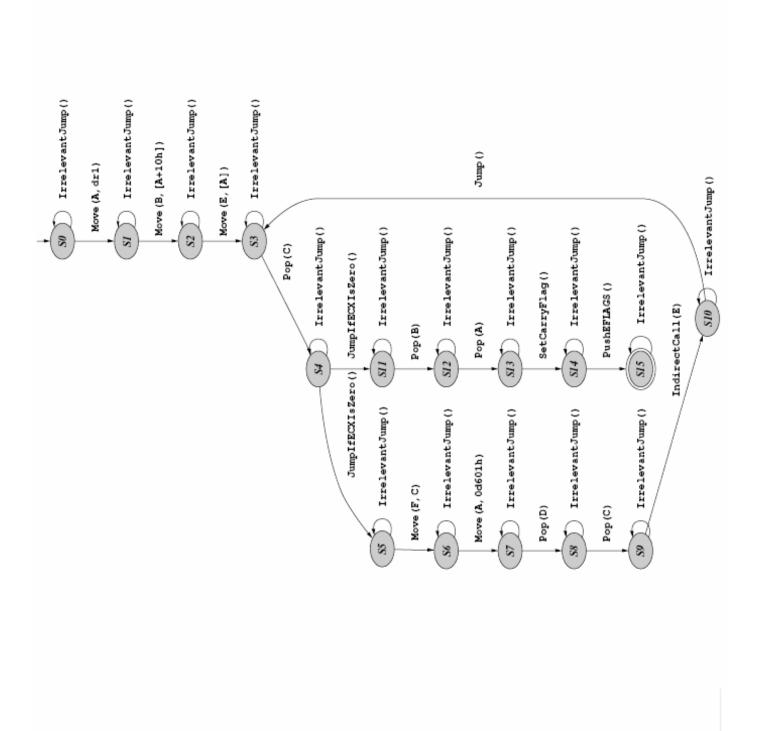
- Inputs:
 - Annotated CFG for a procedure
 - OMalicious code representation
- Output:
 - Sequence of instructions exhibiting the malicious pattern

Malicious Code Automaton

- Abstraction of the vanilla virus
- 6-tuple $(V,\Sigma,S,\delta,S_0,F)$
 - $\bigcirc V = \{ v_1 : \tau_1, ..., v_k : \tau_k \}$
 - $\bigcirc \Sigma = \{ \Gamma_1, \ldots, \Gamma_n \}$
 - OS = finite set of states
 - $\bigcirc \delta: S \times \Sigma \to 2^S$ is a transition function
 - $\bigcirc S_0 \subseteq S$ is a non-empty set of *initial* states
 - ○F ⊆ S is a non-empty set of final states

Malicious Code





Detector Operation

- Inputs:
 - \bigcirc CFG P_{Σ}
 - $\bigcirc \mathcal{A} = (V, \Sigma, S, \delta, S_0, F)$
- Determines whether the same (malicious) pattern occurs both in \mathcal{A} and Σ
- More formally, tests the emptiness of

$$\mathsf{L}(\mathsf{P}_{\Sigma}) \cap (\cup_{\mathcal{B} \in \mathcal{B}_{\mathsf{All}}} \mathsf{L}(\mathcal{B} \ (\mathcal{A})) \)$$

Detector Algorithm

- Dataflow-like Algorithm
- Maintain a *pre* and *post* list at each node of the CFG P_{Σ}
- List is of $[s, \mathcal{B}_s]$, s is a state in \mathcal{A}
- Join operation is union

Detector Algorithm

Transfer Function:

foreach
$$[s, \mathcal{B}_s] \in L_n^{pre}$$

foreach $[\Gamma, \mathcal{B}] \in Annotation(n)$
 $\land Compatible(\mathcal{B}_s, \mathcal{B})$
add $[\delta(s, \Gamma), \mathcal{B}_s \cup \mathcal{B}]$ to $NewL_n^{post}$

Return:

$$\exists n \in N . \exists [s, \mathcal{B}_s] \in L_n^{post} . s \in F$$

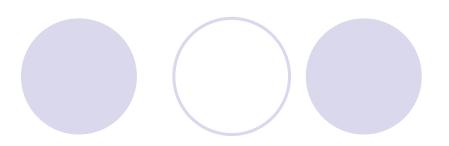
Defenses Against...

- Code Re-ordering
- Register Renaming
- Insertion of irrelevant code
 - Onops*, code that modifies dead registers
 - Needs live-range and pointer analyses

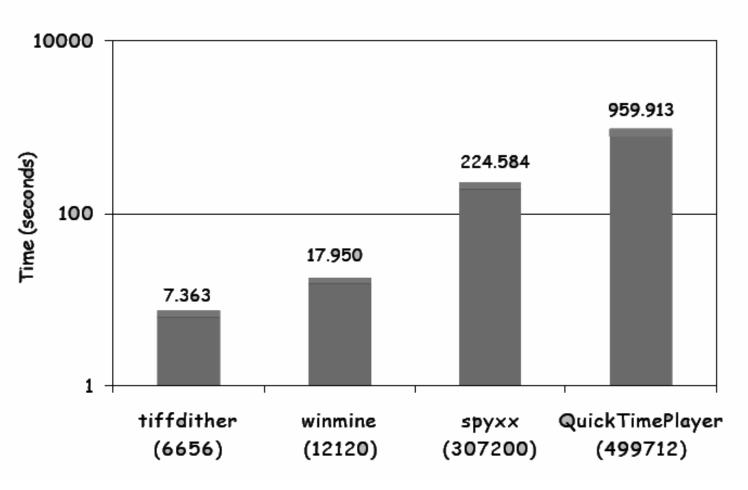
Experimental Results

- False Positive Rate: 0
- False Negative Rate: 0
 - Onot all obfuscations are detected

Performance



■ Detector avg. ■ Annotator avg.



Future Directions

- New languages
 - Scripts VB, JavaScript, ASP
 - Multi-language malicious code
- Attack Diversity
 - Oworms, trojans too
- Irrelevant sequence detection
 - Theorem provers
- Use TAL/external type annotations

Pitfalls/Criticisms?

- Focus on viruses instead of worms
- Still fairly Ad-hoc
- Treatment of obfuscation is not formal enough.
- Intractable techniques
 - Use of theorem provers to find irrelevant code
- Slow
- No downloadable code
- Not enough experimental evaluation