Learning to Localize Objects with Structured Output Regression

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Introduction

• What is object localization or object detection?



Introduction

• Sliding window approach



Introduction

- Sliding window approach disadvantages
 - Computationally inefficient
 - Addressed by earlier work on efficient sub-window search (CVPR '08) Branch and bound optimization
 - · Not clear how to optimally train a discriminant function for localization - this paper
 - Propose a training strategy that specifically optimizes localization
 - Structured learning
 - o Output space is the space of all bounding boxes parameterized by 4 numbers i.e. corners of the box

Algorithm Overview

Apply structured SVM algorithm to object localization

$$g: X \to Y$$

Input X: the space of all images OutputY: the space of all bounding boxes (rectangles)



Input x



Output y: [top, left, bottom, right]

Structured SVM

$$\min_{w} ||w||^{2} + C \sum_{i=1}^{n} \xi_{i}$$
s.t. $\langle w, \varphi(x_{i}, y_{i}) \rangle - \langle w, \varphi(x_{i}, y) \rangle \ge \Delta(y_{i}, y) - \xi_{i} \quad \forall y \in \mathcal{Y} \setminus \{y_{i}\}$











 $\geq \Delta(y_i, y) - \xi_i$

Loss Function

$$\Delta(y_i,y) = \begin{cases} 1 - \frac{\operatorname{Area}(y_i \bigcap y)}{\operatorname{Area}(y_i \bigcup y)} & \text{if } y_{i\omega} = y_\omega = 1 \\ 1 - \left(\frac{1}{2}(y_{i\omega}y_\omega + 1)\right) & \text{otherwise} \end{cases}$$



Feature Vector

 \bullet Feature vector extracted from the image restricted to the box region $X \,|\, y$



 $\psi(x,y) = \phi(x|_{y})$

Joint Kernel

• Structured SVM can also be written in terms of kernels

$$< w, \psi(x_i, y_i) >= \sum_{x} \sum_{y} \alpha_{xy} \underbrace{< \psi(x, y), \psi(x_i, y_i) >}_{\text{}} \\ \text{Support vectors} \qquad \text{Joint Kernel}$$

$$k_{joint}((x, y), (x', y')) = k_{image}(x|_{y}, x'|_{y'},)$$

Linear Case



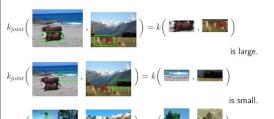






Non-linear Kernels: Polynomial Kernels, Gaussian Kernels

Joint Kernel Examples



Maximization steps

• Most violated constraints

$$\max_{y \in \mathcal{Y} \setminus Y_i} \langle w, \varphi(x_i, y) \rangle + \Delta(y_i, y)$$



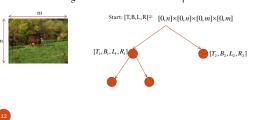
Testing

$$g(x) = \operatorname*{argmax}_{y \in \mathcal{Y}} \langle w, \varphi(x,y) \rangle$$

• Efficient Algorithm: Branch and Bound

Branch and Bound

- Branch: divide the output space into subspaces
- Bound: pruning the subspaces whose upper bound is lower than some guaranteed score in other subspaces



Comparison with Sliding Window Approach

- Same:
 - feature vectors,
 - model parameters



- Different:
 - loss function
 - Training steps (sliding widow: sample negative boxes, this paper: cutting plane)

Experiments

TU Darmstadt cow dataset









PASCALVOC 2006 dataset









Experiments

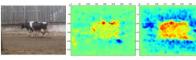
- Bag-of-visual-words approach
 - Extract local SURF descriptors*
 - 10000 descriptors K means clustered into 3000 entry codebook
 - · Every bounding box is now described by a histogram of these features
- · Binary training benchmark binary classifier
 - · Ground truth boxes are positive samples
 - Randomly sampled boxes (<20% overlap with ground truth) are negative samples

* Herbert Bay, Andreas Ess, Time Tuytelaars, Luc Van Good, "SURF: Speeded Up Robust Features", Computer Vision and Image Understanding (CVRI), 2008

Results

• TU Darmstadt cow dataset - all images contain a cow

Localization performance



Binary training Structured learning

· Well distributed scores over the cow and negative weights for the background

Experiments

- PASCALVOC 2006 dataset
 - · Strongly unbalanced
 - Images may not contain object being detected
 - Separate SVM to rank the bounding boxes.
- The framework does not allow for detecting multiple objects
 - · Group of cats image the bigger bounding box will have a high score of being a cat







Summary

- Structured learning makes better use of training data
 - More sensible negative examples are added to the training data
 - · Focusing training on locations where mistakes would otherwise be made
- The loss function in the structured learning framework allows to suitably incorporate partial detections into the training which are not possible with binary training.

